

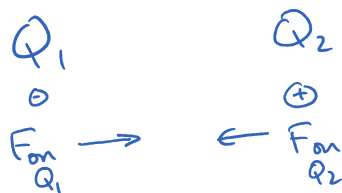
Electrostatics Summary

January 5, 2021 9:00 AM

like charges repel
opposite charges attract
a charge will attract a neutral

Coulomb's Law

$$\vec{F}_e = \frac{kQ_1Q_2}{r^2}$$



Vector equations: do not use charge's sign in equation. Use sign to figure out direction of force, etc only.

Electric Field ($\vec{E}$) (due to a point charge)

$$\vec{E} = \frac{\vec{F}_e}{q_t}$$

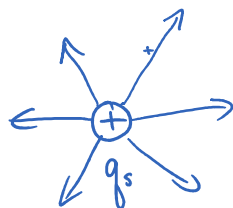
← force felt by charge in field
← charge in field

$$[\frac{N}{C}]$$

$$\vec{E} = \frac{kq_s}{r^2}$$

← $9 \times 10^9 \frac{NM^2}{C^2}$
← source charge, creating the field
← distance from source charge.

- $\vec{E}$ is a vector, so no charge signs in equation
- direction of $\vec{E}$ = the direction of force an imaginary positive test charge would feel



ex

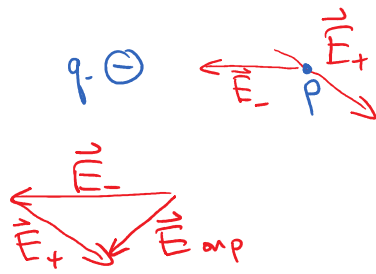
$q_+ \oplus$

$q_- \ominus$ $\leftarrow \vec{E}_+$

$\vec{E}$ at point P ?

$$\vec{E}_- = \frac{kq_-}{r^2}$$

$$\vec{E}_+ = \frac{kq_+}{r^2}$$



$$\vec{E}_- = \frac{kq_-}{r^2} \quad \vec{E}_+ = \frac{kq_+}{r^2}$$

add vectorially to find $\vec{E}$ at P

OR



Electric Potential (V) (due to a point charge)

$$V = \frac{kq_s}{r}$$

$$V = \frac{E_p}{q_t}$$

← electric potential energy

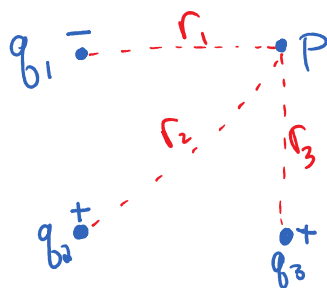
change in energy $E_p, E_k, \dots$

$$W = \Delta E = \Delta V q_t$$

$$E_p = \frac{kQ_s Q_t}{r}$$

V and E_p are scalar so we use the signs in the equations and then just add up.
(no need to think about direction)

ex



What is the electric potential at P?
(V)

$$V = \frac{kQ_s}{r}$$

$$V_1 = - \quad V_2 = + \quad V_3 = +$$

Simply add:
(not a vector)

$$V_1 + V_2 + V_3 = V_{\text{net on P}}$$

- + +

Between Parallel Plates

→ uniform $\vec{E}$ (same everywhere between plates)

← can be

NI

→ 1

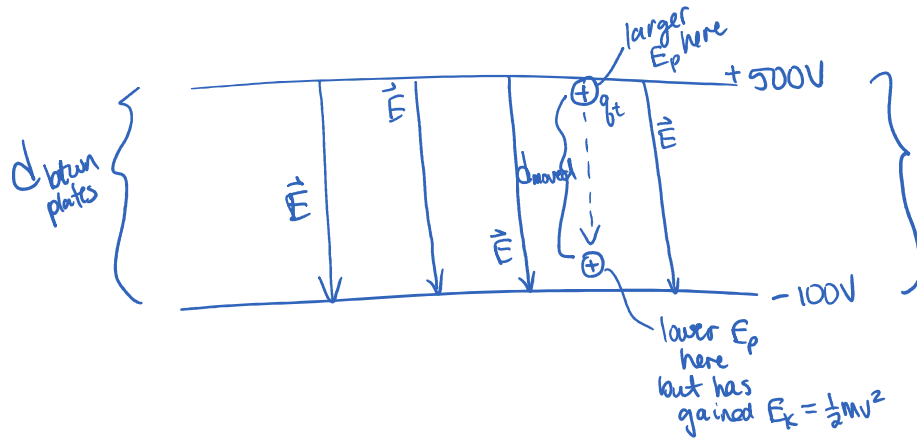
→ uniform $\vec{E}$ (same mag)

$$\Delta V = \frac{\Delta E_p}{q_t} \leftarrow \text{can be } \Delta E_k$$

$$\vec{E} = \frac{\Delta V}{d_{\text{btwn plates}}}$$

$$E_p = q_t \vec{E} d_{\text{moved along } \vec{E} \text{ lines}}$$

+ ——— -1
- ——— -10



$$\Delta V = 500 - (-100) = 600V$$